

# Macroprudential Regulation Versus Mopping Up After the Crash

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## Growing literature on financial amplification in crises:

Economic shock

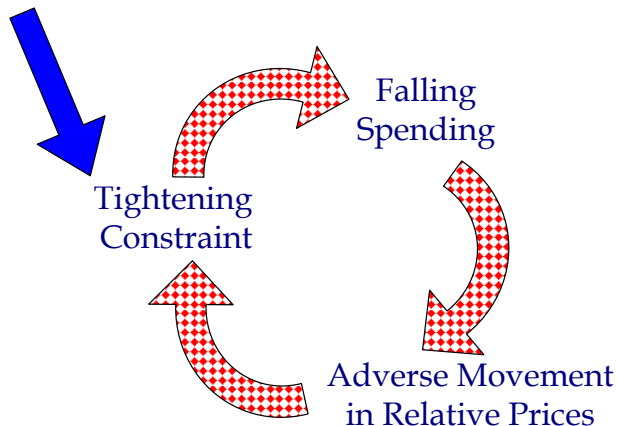


Figure: Financial amplification/financial accelerator/leverage cycle/...

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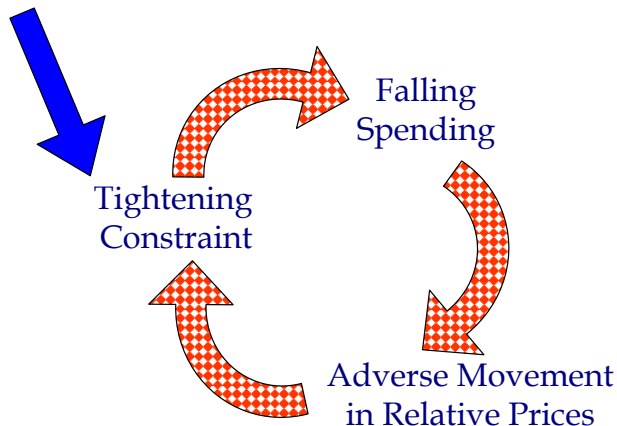


Figure: Financial amplification/financial accelerator/leverage cycle/...

## 1) Pecuniary/fire-sale externalities provide new rationale for macroprudential regulation as Pigouvian taxation

(unrelated to traditional argument about safety nets)

## 2) Financial amplification can also be mitigated ex-post

by relaxing binding constraints

- via formal safety nets
- or discretionary intervention

→ bailouts/mopping up measures

### Key Question

*What is the optimal balance between ex-ante/ex-post policies?*

**Related policy debate:** how should policy respond to crisis risk?

- **Ex-post view:** exemplified by “Greenspan doctrine:”  
ex-ante policy too costly and blunt  
(e.g. Greenspan, 2002, Blinder and Reis, 2005)  
→ focus on “mopping up” after the crash
- **“Ex-ante view:”** macro-prudential policy:  
financial imbalances build up before crises  
(e.g. Borio, 2003)  
→ focus on “macro-*prudential*” policies

## **Contribution of this paper:**

- study the relationship between ex-ante/ex-post intervention to respond to financial amplification
- characterize optimal policy mix

## Model Setup:

- 3-period macro model with entrepreneurs and workers
- Entrepreneurs use capital as collateral
- Adverse shock in period 1 can lead to amplification

## Two Policies:

- 1 Ex-ante (period 0): macro-prudential tax on borrowing
- 2 Ex-post (period 1): bailout transfer financed by labor taxation

## Key Findings:

- Optimal policy mix involves use of both
  - macroprudential regulation does not obviate need for bailouts
  - bailouts have benefit of being more state-contingent
- Macroprudential regulation has two distinct roles:
  - addresses pecuniary externality and
  - simultaneously solves time inconsistency of bailouts

(there is in fact no tension between these two objectives)
- Macroprudential regulation reduces need for bailouts
- Bailouts do not necessarily imply that macroprudential regulation should be more aggressive



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**Three time periods:**  $t = 0, 1, 2$

**Two (representative) sets of agents:**

- 1 Entrepreneurs: combine capital and labor to produce output

$$U^e = c_0 + c_1 + c_2$$

- 2 Workers: provide capital and labor

$$U^w = c_0 + c_1 + c_2 - \omega l_1 - \omega l_2$$

**Debt is the only financial contract**

## Optimization problem of entrepreneurs:

- Periods 1 and 2:  $\pi_t = \max_{\ell_t} (A_t k_t)^\alpha \ell_t^{1-\alpha} - \omega \ell_t = \kappa A_t k_t$
- Intertemporal problem:

$$\begin{aligned} \max E [c_0 + c_1 + c_2] \quad \text{s.t.} \quad & c_0 + I(k) = d_0 \\ & c_1 + xk + d_0 = \kappa A_1 k + d_1 \\ & c_2 + d_1 = \kappa A(x)k \\ & d_t \leq \phi \min p_{t+1} k \end{aligned}$$

- Period 0: invest in capital at convex cost  $I(k)$
- Period 1: experience productivity shock  $A_1$   
make complementary investment  $x$  per unit of capital
- Period 2: enjoy productivity  $A_2 = A(x)$   
→ this determines asset price  $p_2$

## Optimization problem of households:

$$\begin{aligned} \max E [c_0 + c_1 + c_2 - \omega l_1 - \omega l_2] \quad \text{s.t.} \quad & c_0 + b_0 = y_0 \\ & c_1 + b_1 = \omega l_1 + b_0 \\ & c_2 = \omega l_2 + b_1 \end{aligned}$$

- provide labor  $l_t$  at marginal disutility  $\omega$
- provide credit  $b_t$  at gross interest rate 1  
→ household utility is constant

# First-Best Solution

**First-Best Solution:** in absence of financial imperfections:

$$\text{Period 0: } l'(k^{FB}) = E \left[ \kappa (A_1 + A_2) - x^{FB} \right]$$

$$\text{Period 1: } \kappa A'(x^{FB}) = 1$$

## Proposition (First-Best Equilibrium)

*The first-best equilibrium can be replicated if a planner has the power to do any of the following:*

- *engage in lump-sum transfers to circumvent the constraint*
- *subsidize asset prices without introducing tax distortions*

Otherwise: the economy exhibits binding constraints for low  $A_1$

## Solution of Laissez-Faire Equilibrium:

$$\max_k E[v(k, I(k))]$$

$$\text{where } v(k, d_0) = \max(\kappa A_1 - x)k + \kappa A(x)k - d_0 + \\ + \lambda \{(\kappa A_1 - x)k + \phi p_2 k - d_0\}$$

First-order conditions:

$$\kappa A'(x) = 1 + \lambda \\ E[v_k] + I'(k) E[v_d] = 0$$

Note:  $k^{LF} < k^{FB}$  if there are states with binding constraint

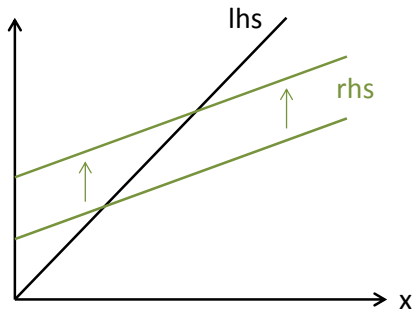


# Equilibrium and Financial Amplification

In general equilibrium, asset price  $p_2 = \kappa A(x)$

$$x \leq \kappa A_1 + \overbrace{\phi \kappa A(x)} - d_0/k$$

Note: assume  $\phi \kappa A'(x) < 1$  to guarantee unique solution



Shock  $dA_1$  leads to amplified response  $\frac{dx}{dA_1} = \frac{\kappa}{1 - \phi \kappa A'(x)}$

# Constrained Planner's Problem

## Introduce a constrained planner:

- subject to the same constraints as private agents
- she internalizes that investment  $x$  affects  $p_2 = \kappa A(x)$

$$FOC(x) : \kappa A'(x) = 1 + \lambda \underbrace{[1 - \phi \kappa A'(x)]}_{\text{externality}}$$

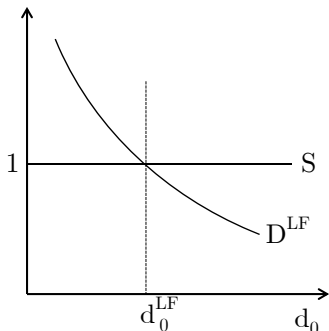
$$\text{compare to DE : } \kappa A'(x) = 1 + \lambda$$

→ constrained planner takes on less debt in period 0

→ can be implemented via Pigouvian tax  $\tau_0 > 0$   
= macroprudential regulation

# Macprudential Regulation as a Second-Best Intervention

MRS period 0/period 1



MRS period 1/period 2

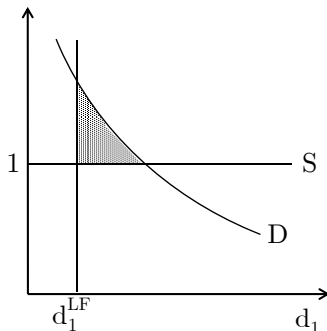


Figure: Macprudential Regulation as a Second-Best Intervention

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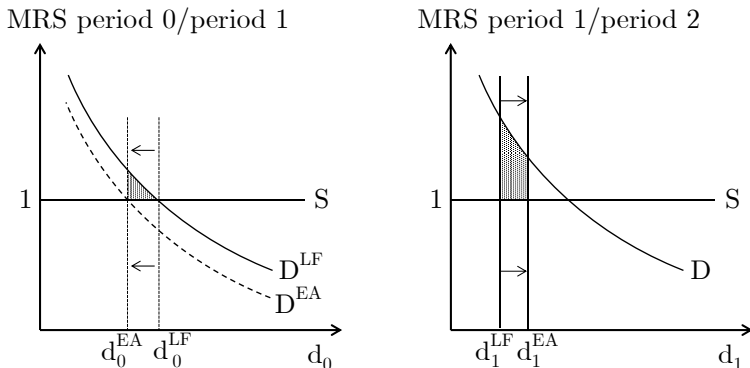


Figure: Macroprudential Regulation as a Second-Best Intervention

# “Mopping Up” After the Crash

## Focus on ex-post policy measures:

- critical property of such measures:
  - 1 relieve binding constraint
  - 2 at the cost of introducing another distortion in the economy
- generic policy that we explore: tax-financed bailouts:
  - provide a transfer  $s$  per unit of capital to constrained entrepreneurs
  - finance transfer via labor taxation  $\tau_1, \tau_2$  in periods 1 and 2  
(note: planner lends superior borrowing capacity to entrepreneurs)
- alternative policies with similar properties:
  - investment tax credits
  - tax-financed lump-sum transfers
  - interest rate cuts
  - crisis lending
  - ...

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# “Mopping Up” After the Crash

**Within-period problem:**  $\pi(\tau) = \max_{\ell} (Ak)^{\alpha} \ell^{1-\alpha} - (1 + \tau)\omega\ell = \kappa(\tau)Ak$

## Proposition (Mopping Up)

*If there are binding financial constraints, the planner provides a bailout  $s > 0$  to entrepreneurs to relax their financial constraint.*

*The optimal tax  $\tau_1 = 0$ . The transfer is financed solely by issuing debt, which is repaid by taxing  $\tau_2 > 0$  in period 2.*



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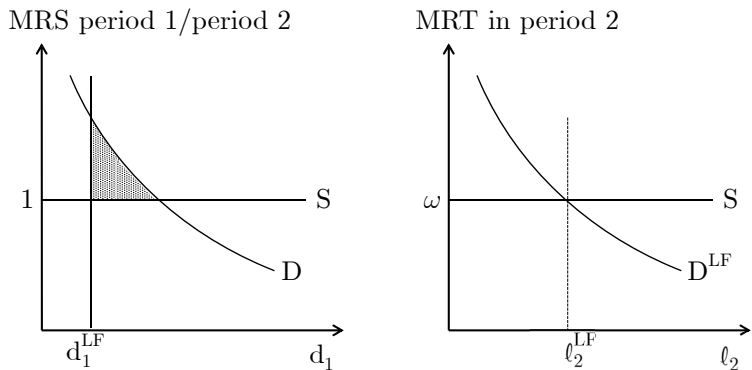


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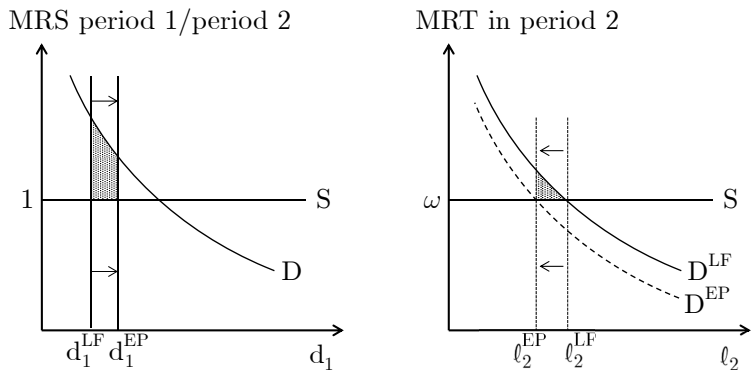


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# Bailouts and Time-Consistency

## **Under discretion:** bailout policy $\tau_2^d(A_1)$

- planner chooses  $\tau_2^d$  while ignoring ex-ante incentive effects
- bailout  $s$  increases period 0 incentive to borrow and invest  
→ bailouts lead to higher borrowing and investment

## **Under commitment:** bailout policy $\tau_2^c(A_1)$

- planner reduces  $\tau_2^c < \tau_2^d$  to mitigate incentive effects (interpretation: one instrument, two targets)
- capital investment reduced  $k^{EP,c} < k^{EP,d}$

## **Time consistency problem:**

- ex-ante, planner wants to commit to being “tough” to ensure that private sector holds greater precautionary savings
- ex-post, planner wants to provide bailout to relax financial constraint

# Macroprudential Regulation Versus Mopping Up

**Analyze planner who has access to both policy measures:**

## Proposition (Optimal Policy Mix)

*If there are binding financial constraints, it is optimal for a planner to*

- *use macroprudential regulation  $\tau_0 > 0$  and*
- *provide a bailout  $s > 0$  in period 1 and raise taxes  $\tau_2 > 0$ .*

Note 1: both policies increasing function of shadow price  $\lambda$   
 $\lambda$  coordinates optimal ex-ante/ex-post measures

Note 2: macroprudential regulation reduces optimal level of bailouts

## Proposition (Time Consistency)

*Macroprudential regulation solves the time consistency problem of bailouts.*

→ kill two birds with one stone (externality + time inconsistency)

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→ kill two birds with one stone (externality + time inconsistency)

Key distinction:

- bailouts are perfectly targeted at a state of nature
- macroprudential policy is blunt and untargeted

→ relative use depends on “likeness” of states of nature

Effects on total debt level:

- macroprudential regulation reduces borrowing
- bailouts increase borrowing

→ overall effect ambiguous

## Accumulating a bailout fund:

- assume revenue from Pigovian tax  $\tau_0$  is saved in bailout fund
- fund is rebated to entrepreneurs in period 1 to relax constraint

## Proposition (Bailout Fund)

*Accumulating period 0 tax revenue in a bailout fund does not achieve any efficiency gains, but introduces greater distortions to incentives for investment.*

→ killing three birds with one stone does not work

## Intuition:

- $\tau_0$  induces entrepreneurs to hold optimal level of savings
- planner has *no comparative advantage* in holding savings
- bailout fund only distorts incentives



## Conclusions:

- optimal policy mix uses both instruments to address externality (theory of the second-best: use all welfare triangles you can use)
  - bailouts are more state-contingent, macroprudential policy is more blunt
  - macroprudential policy has a dual objective: address externality and solve time inconsistency of bailouts
- Role for both “leaning against the wind” and “mopping up after the crash”